

# PHYSICS 203

## Measure Little g Simulation Lab

This lab uses The Physics Aviary Acceleration on a Planet Simulation:

<https://www.thephysicsaviary.com/Physics/Programs/Labs/AccelerationOnPlanetLab/>

### Introduction

Newton's universal law of gravitation gives the force  $F_G$ , between two objects of mass  $m_1$  and  $m_2$ , as shown in Fig. 1 below.

Figure 1- Newton's Universal Law of Gravitation

The diagram shows the equation  $F = G \frac{m_1 m_2}{r^2}$  with several annotations. An arrow points from the text 'Mass of object 1 times, Mass of object 2' to the product  $m_1 m_2$ . Another arrow points from 'Force, equals, Gravity times' to the  $F = G$  part of the equation. A third arrow points from 'Divided by, distance between the center of those two objects, squared' to the denominator  $r^2$ . The text 'Newton's Law of Gravity' is written in bold at the bottom left.

At Earth's surface our weight force is equal to this gravitational force of attraction. Therefore, weight force  $F_g = mg = F_G$

$$mg = GM_E m / (r_E)^2$$

Where  $G$  is the universal gravitation constant,  $M_E$  is mass of Earth and  $r_E$  is radius of Earth.

Hence, acceleration due to gravity on Earth,  $g = GM_E / (r_E)^2$

This expression can be used to determine acceleration due to gravity on any planet where mass of Earth,  $M_E$  is replaced by mass of planet,  $M_{\text{Planet}}$  and radius of Earth,  $r_E$  is replaced by radius of planet,  $r_{\text{Planet}}$ .

### Procedure

Part I – Acceleration on different planets, each increasing in mass and radius.

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1. Click on url to open simulation lab page if you have not already done so:  
<https://www.thephysicsaviary.com/Physics/Programs/Labs/AccelerationOnPlanetLab/>
2. Click 'Begin' to start lab.
3. Click on 'Ball' at top of screen to change ball characteristics of your choice.
4. Click on 'Planet' at top of screen. Decrease mass and radius of planet to minimum possible. Choose name (and color if you wish) of planet. Record this information in Table 1 below.
5. Click 'Zoom in', then click on 'Ruler'. Click on ruler shown onscreen to place ball at 4.5 m height location.
6. Click on 'Drop' to begin first run of experiment.
7. Click on grid on bottom right of screen. Record data for velocity,  $v_1$ , and time,  $t_1$  in Table 1.
8. Click 'Reset' for opportunity to make another run of experiment with same planet mass and radius setting.
9. Click 'Drop' to get data for velocity,  $v_2$  and time,  $t_2$ . Record data in Table 1.
10. Click 'Reset' followed by 'Zoom out'. Then click 'Planet' to increase both mass and radius by one upwards arrow click. Record new name of planet, mass, radius and density in Table 1.
11. Repeat steps 5 through 10 above until there are six different planets with associated mass, radius, density, velocity and time data in Table 1.

Table 1: Data for Planets with increasing mass and radius.

Planet				Velocity			Time		
Name	Mass [kg]	Radius [m]	Density [kg/m <sup>3</sup> ]	V <sub>1</sub> [m/s]	V <sub>2</sub> [m/s]	V <sub>avg</sub> [m/s]	t <sub>1</sub> [s]	t <sub>2</sub> [s]	t <sub>avg</sub> [s]

12. Plot a graph of  $V_{avg}$  versus  $t_{avg}$ . Determine the slope of this graph. What does the slope of this graph tell you?

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13. Plot a graph of Planet Mass Versus Planet Radius<sup>2</sup>. Determine the slope of this graph. What is the significance of (slope) \* G ? What happens to acceleration due to gravity on a planet as it becomes larger?

Part II – Exploring acceleration due to gravity on Planets with same radius but different mass.

1. Click on 'Planet' at top of screen. Decrease mass and radius of planet to minimum possible. Choose name (and color if you wish) of planet. Record this information in Table 1 below.
2. Click 'Zoom in', then click on 'Ruler'. Click on ruler shown onscreen to place ball at 4.5 m height location.
3. Click on 'Drop' to begin first run of experiment.
4. Click on grid on bottom right of screen. Record data for velocity,  $v_1$ , and time,  $t_1$  in Table 2.
5. Click 'Reset' for opportunity to make another run of experiment with same planet mass and radius setting.
6. Click 'Drop' to get velocity,  $v_2$  and time,  $t_2$ . Record data in Table 2.
7. Click 'Reset' followed by 'Zoom out'. Then click 'Planet' to increase mass by one upwards arrow click. Record new name of planet, mass and density in Table 2.
8. Repeat steps 2 through 7 above until there are six different planets with associated mass, density, velocity and time data in Table 2.

Table 2: Data for Planets with increasing mass constant radius.

Planet				Velocity			Time		
Name	Mass [kg]	Radius [m]	Density [kg/m <sup>3</sup> ]	V <sub>1</sub> [m/s]	V <sub>2</sub> [m/s]	V <sub>avg</sub> [m/s]	t <sub>1</sub> [s]	t <sub>2</sub> [s]	t <sub>avg</sub> [s]
		4.0 E6							
		4.0 E6							
		4.0 E6							

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9. By increasing planet mass but maintaining a constant radius of  $4.0 \times 10^6$  m, you were in effect increasing the planet's density. What effect did this increase in density have on the average time for ball to fall through 4.5m?
10. Plot a graph of  $V_{avg}$  versus  $t_{avg}$  and determine the slope of this graph. What does the slope of this graph tell you concerning the relationship between acceleration due to gravity on a planet and increased density?
11. What is the name of such a body (planet or star) which is so dense that it is difficult or impossible to escape its gravitational force of attraction?
12. Check accuracy of your data points in the graph produced from Table 2, by using linear equation of motion,  $d_y = v_i t_{avg} + 1/2 g_{planet} (t_{avg})^2$ , where  $d_y$  is the vertical distance fallen,  $v_i$  is initial velocity and  $t$ , is time to fall to ground level (0 meters). In our experiment the ball was dropped 4.5 m, meaning initial velocity  $v_i$  is zero. Therefore,  $d_y = 1/2 g_{planet} (t_{avg})^2$   
This makes  $g_{planet} = 2d_y / (t_{avg})^2$

Table 3. Comparison of acceleration due to gravity values

Planet			
Name	Mass [kg]	$g_{planet}$ [ $m/s^2$ ]	$V_{avg}/t_{avg}$ [ $m/s^2$ ] (from Table 2)